

عنوان مقاله:

A convex combinatorial property of compact sets in the plane and its roots in lattice theory

محل انتشار:

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خلاصه مقاله:

K. Adaricheva and M. Bolat have recently proved that if \mathcal{U}_0 and \mathcal{U}_1 are circles in a triangle with vertices A_0, A_1, A_2 , then there exist $j \in \{0, 1, 2\}$ and $k \in \{0, 1\}$ such that \mathcal{U}_{1-k} is included in the convex hull of $\mathcal{U}_k \cup (\{A_0, A_1, A_2\} \setminus \{A_j\})$. One could say disks instead of circles. Here we prove the existence of such a j and k for the more general case where \mathcal{U}_0 and \mathcal{U}_1 are compact sets in the plane such that \mathcal{U}_1 is obtained from \mathcal{U}_0 by a positive homothety or by a translation. Also, we give a short survey to show how lattice theoretical antecedents, including a series of papers on planar semimodular lattices by G. Grätzer and E. Knapp, lead to our result.

کلمات کلیدی:

Congruence lattice, planar semimodular lattice, convex hull, compact set, linebreak circle, combinatorial geometry, abstract convex geometry, anti-exchange property

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