

عنوان مقاله:

An Upper Bound for the Index of the Second n -Center Subgroup of An n -Abelian Group

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خلاصه مقاله:

Let n be a positive integer. A group G is said to be n -abelian, if $(xy)^n = x^n y^n$, for any $x, y \in G$. In 1979, Fay and Waals introduced the n -potent and the n -center subgroups of a group G , as $G_n = \{[x, y_n] | x, y \in G\}$, $Z_n(G) = \{x \in G | x y^n = y^n x, \forall y \in G\}$, respectively. Also, the second n -center subgroup, $Z_n \wr (G)$, is defined by $Z_n \wr (G) / Z_n(G) = Z_n(G / Z_n(G))$. In this paper, we give an upper bound for the index of the second n -center subgroup of any n -abelian group G in terms of the order of n -potent subgroup G_n .

کلمات کلیدی:

n -abelian group, n -center subgroup, n -potent subgroup

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